

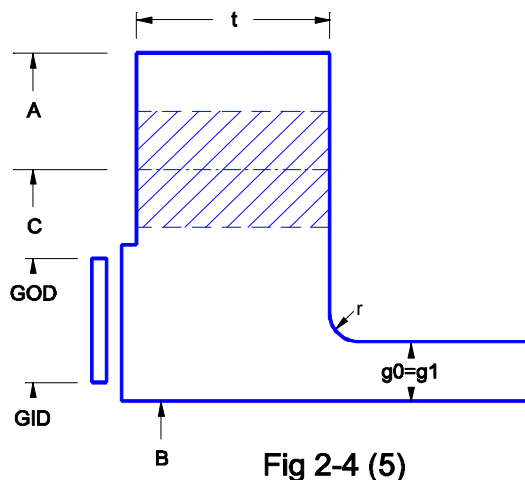
Pressure Vessel Engineering Ltd. provides: ASME Vessel Code Calculations - Finite Element Analysis (FEA) - Solid Modeling / Drafting - Canadian Registration Number (CRN) Assistance

Loads on Flanges - The ASME Way

ASME VIII-1 Appendix 2 provides a method of sizing flanges. The calculations use three loads - HT, HG & HD and two operating conditions - seating and operating. What are these loads, how are they calculated, and where are they applied to the flange?

A sample flange shown below will be calculated using ASME Appendix 2 methods and by finite element analysis (FEA) to illustrate the application of the loads and show the resulting stresses.

Sample flange (App 2 Fig 2-4(5))



Sample Flange Dimensions

Inside Diameter = B = 16.00"

Outside Diameter = A = 22"

Thickness = t = 1.75

Hub radius = r = 0.375

Pipe thickness = g0 = 0.75

Gasket OD = 17.75"

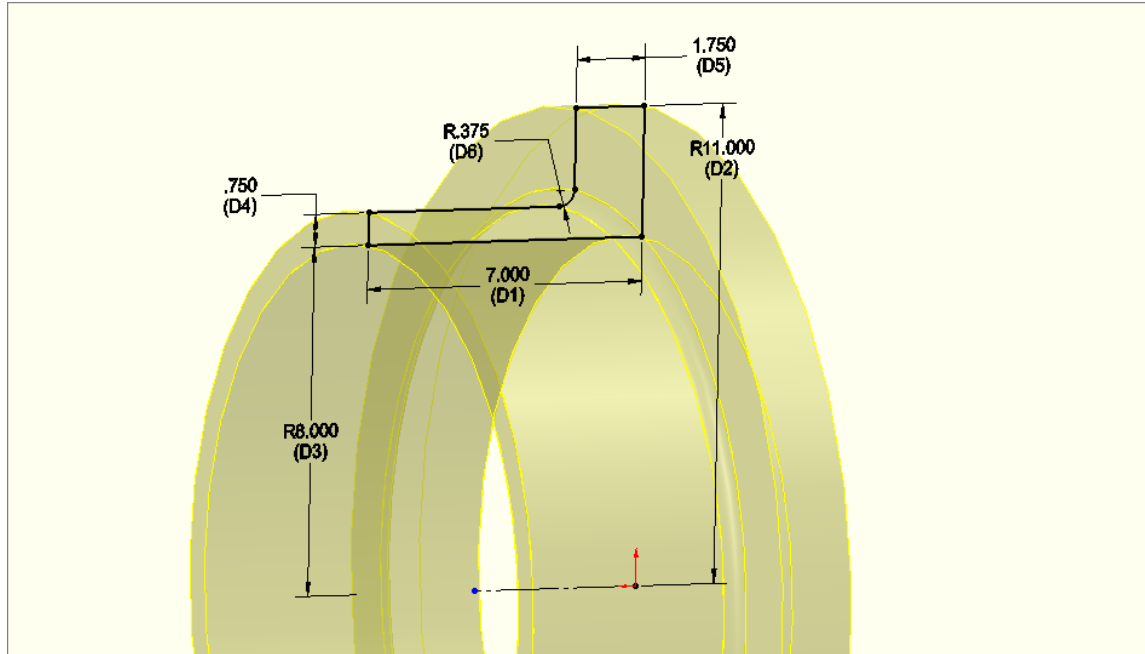
Gasket ID = 16.25"

Gasket m = 3

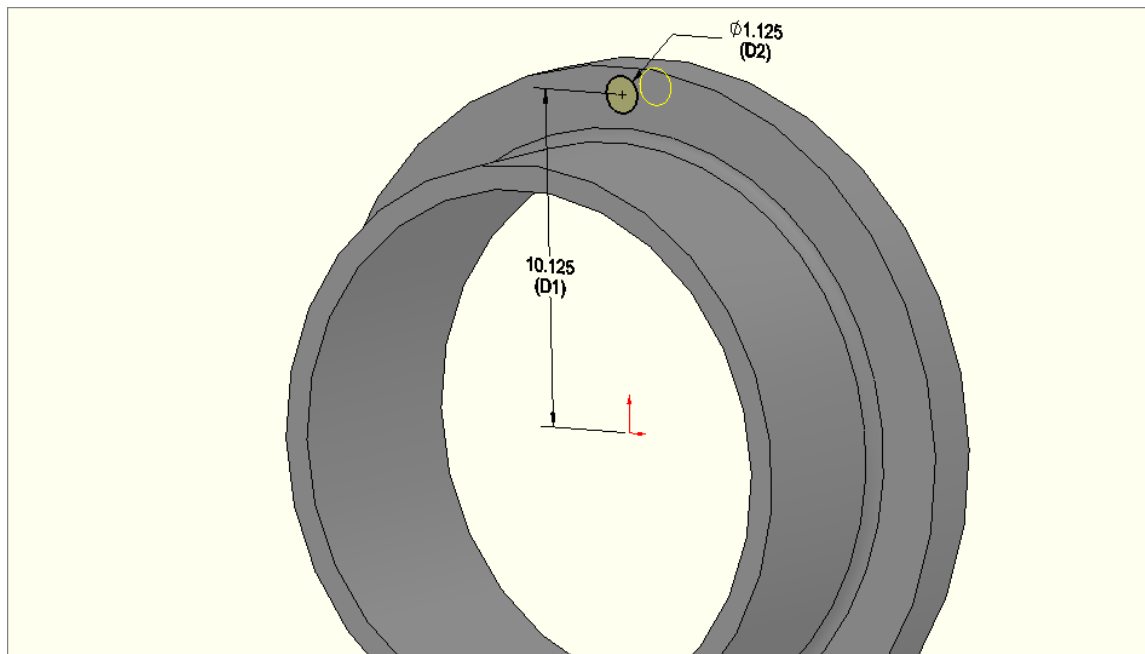
Gasket y = 10,000

16 Bolts x 1" dia on a 20.25" BCD (C)

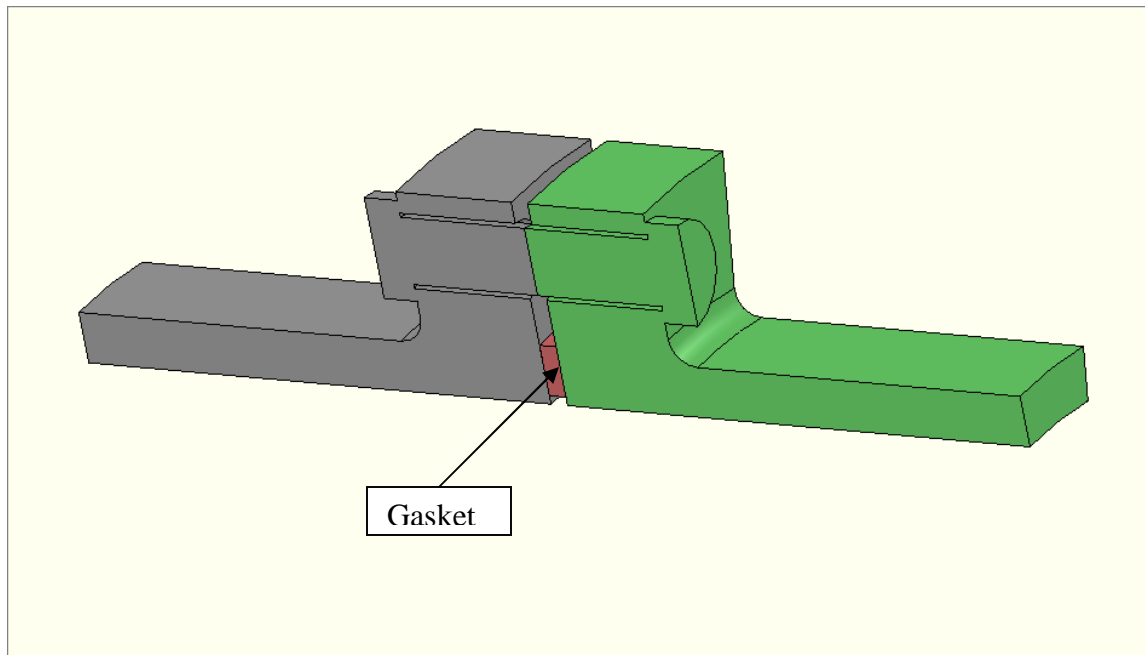
Sample flange - the FEA model



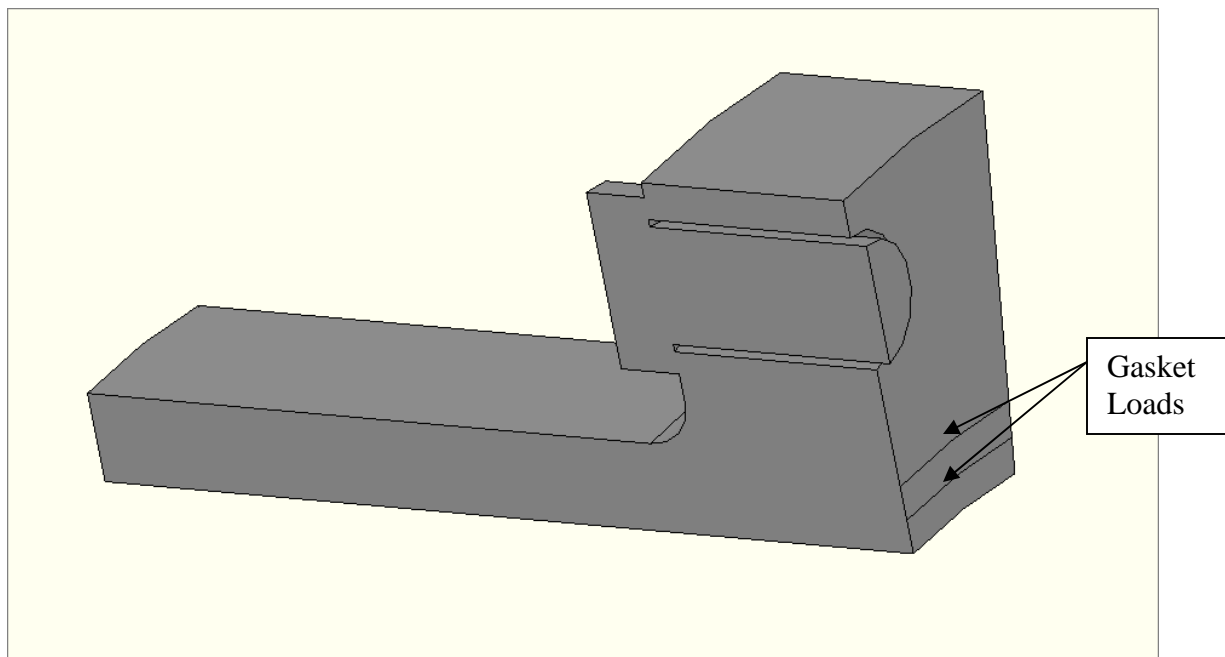
Flange Model



16 holes on 20.25" BCD, 1" bolt size - only 1/2 of one bolt will be used for the FEA model due to symmetry.



Half of the 1" bolt is added. A mirrored body creates a flanged pair.



For FEA the bolt length is cut on the center of the gasket. The gasket is removed and is replaced by the loads it generates. Split lines can be seen where the gasket loads HT and HG are applied.

Load HD - Operating

HD is created by the pressure on the pipe attached to the flange. Force = Pressure x Area.

$$HD = P * B^2 / 4$$

The load is generated on center line of the pipe, but the ASME rules change the moment arm depending on the attachment method. When FEA is performed, the load should be applied to the attached pipe - the FEA program will determine how the load is distributed.

Project PVE-2923	Customer	Date JULY 14/08
Subject FLANGE LOADS - HD	By	Reviewed
Item	Check	Page

INTEGRAL
FIG 2-4 (c)

$HD = P \times AREA$

LOOSE

$HD = P \times AREA$
AREA MEASURED
AT B.

$HD = P \times AREA$

<input type="checkbox"/> Units Listed	<input type="checkbox"/> Numbers Checked	<input type="checkbox"/> Sources Referenced	<input type="checkbox"/> Inputs Listed
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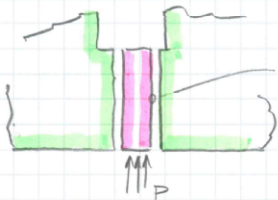
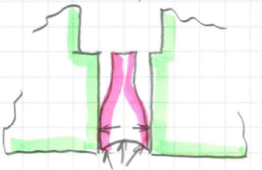
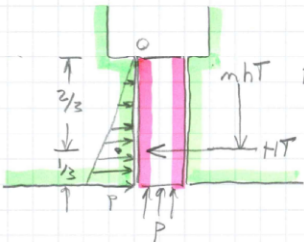
Load HT - Operating

HT is created by the internal pressure acting on the gasket:

- 1) Pressure is applied to the exposed edge of the gasket
- 2) The gasket tries to expand but is held in place by the flange faces
- 3) The flange faces push back

The force between the gasket and the flange is shown as a triangle. The force is zero at the OD of the gasket (there is no pressure at the gasket OD and thus no leakage). At the inside edge, the pressure is the pressure in the pipe. HT is the average pressure along the length. mhT is measured at the point $1/3$ up the triangle, the centroid of the force.

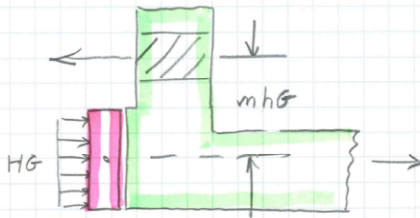
The ASME rules reduce the width of the gasket. This load is a design rule, not a predictor of actual flange stresses. For FEA analysis, the load HT is applied at the moment arm mhT away from the bolt centerline.

Project PVE- 2923	Customer	Date JULY 14/08
Subject FLANGE LOADS - HT	By	Reviewed
Item	Page	Check
1)		GASKET
2)		GASKET PUSHES OUT
3)		FORCE FROM GASKET
<input type="checkbox"/> Units Listed <input type="checkbox"/> Numbers Checked <input type="checkbox"/> Sources Referenced <input type="checkbox"/> Inputs Listed		
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Load HG - Operating

HG operating is the force required to keep the flange sealed against the operating pressure. It is generated by tightening the bolts. Load = effective area x gasket factor m x Pressure. If the flange is self energizing (does not need additional force to seal such as an o-ring) then $HG_{operating} = 0$

Load HG operates through the center of the gasket, but the gasket size is reduced by the ASME rules to create an effective area. Correlation to real gasket properties is difficult - this load and its moment arm is a design rule, not a predictor of actual flange stresses.

Project PVE-	Customer	Date JULY 14/08
Subject HG - OPERATING	By LB	Reviewed
Item	Check	
 <p>AND ADDITIONAL LOAD HG IS APPLIED TO KEEP THE GASKET SEALED AGAINST THE APPLIED LOAD.</p> <p>HG SEATING - SAME PICTURE</p>		
<input type="checkbox"/> Units Listed	<input type="checkbox"/> Numbers Checked	<input type="checkbox"/> Sources Referenced
<input type="checkbox"/> Inputs Listed		
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Load HG - Seating

HG seating is the force required to seat the gasket into the flange gasket face and be leak tight against a pressure of 0 psi. (HG operating provides the load required to keep the seal as the operating pressure is increased).

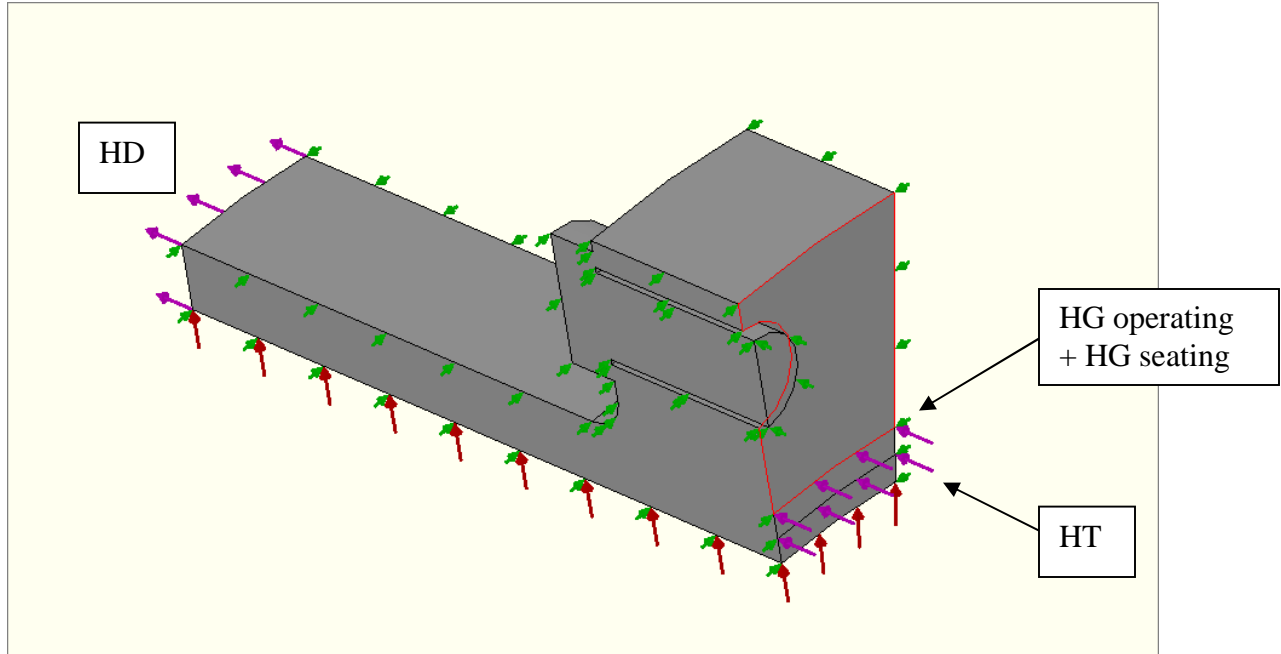
The force HG is loosely based on gasket physical properties, but the gasket area used is modified (reduce) from the actual gasket width because the code y factors are too high. Correlation to real gasket properties is impossible - this load and its moment arm are a design rule, not a predictor of actual flange stresses.

Force HG has an additional load added to it - the “gasket destroying” or “gasket crushing” force. The computed seating load on the gasket is increased to the average of the required bolt strength and the available bolt strength. This code disaster greatly increases the required thickness of flanges far beyond the loads that the gasket can handle.

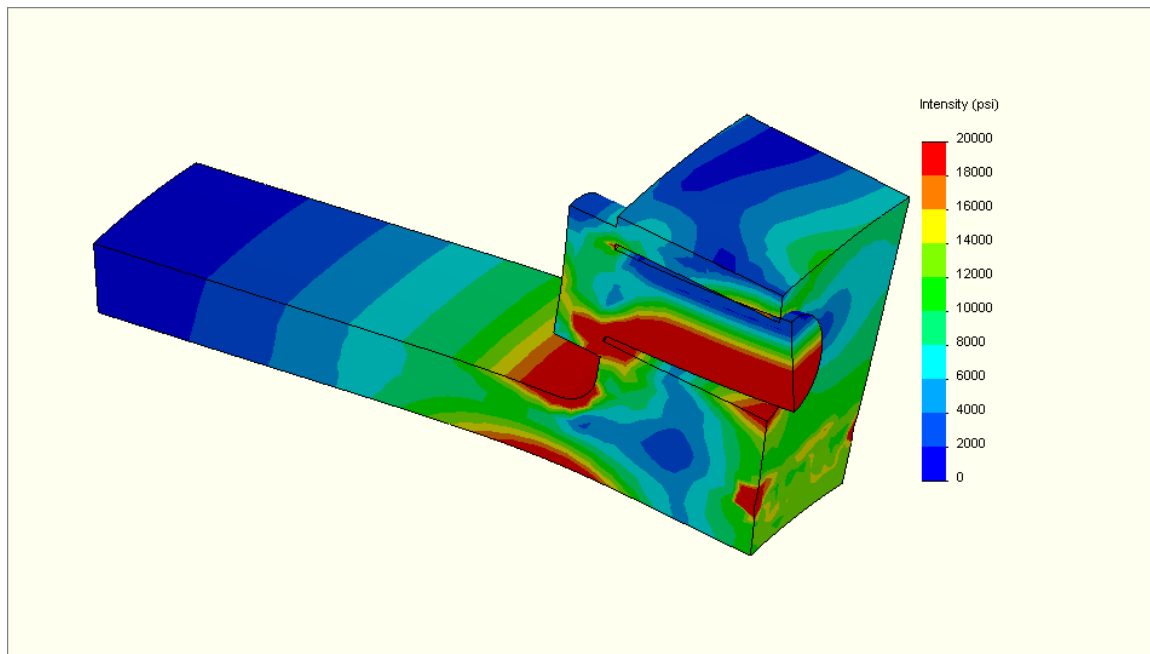
As a designer, when the seating loads are too large and are caused by extra bolt area, several options are available:

- 1) make the bolts smaller in diameter or fewer in number. Reducing the effective area of the bolts reduces this theoretical gasket crushing force.
- 2) use weaker bolts - same idea as above.
- 3) if material waste and cost are no object, make the flange thicker. This route often is used when a custom appendix 2 flange must mate up to standard flanges such as B16.5 series which seldom calculate to appendix 2 rules.

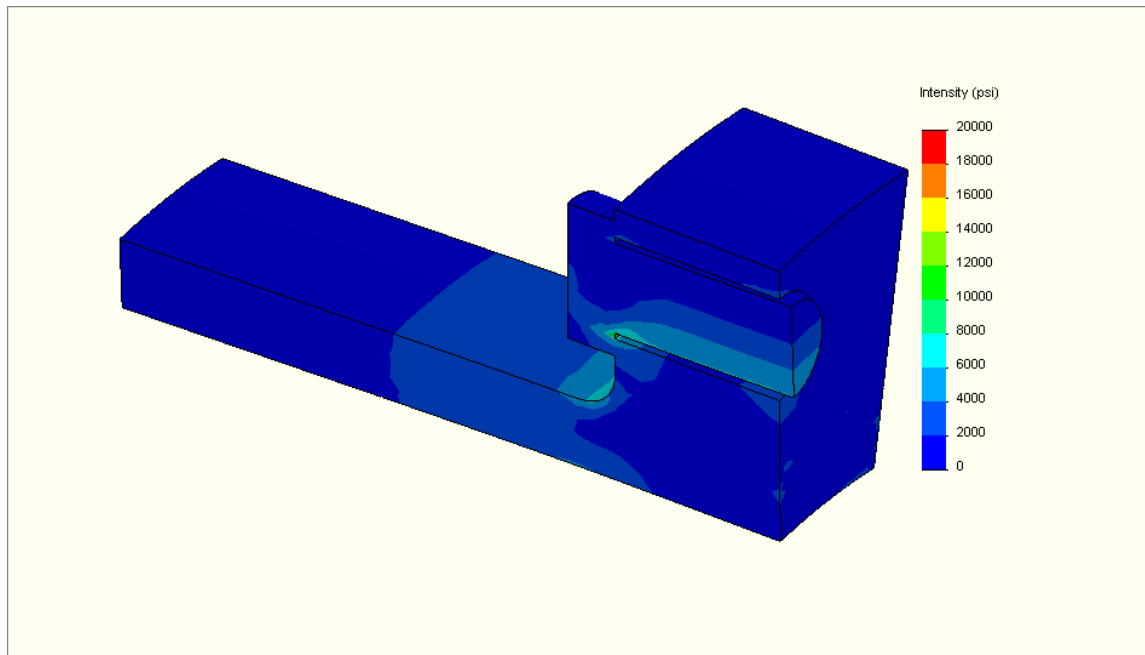
ASME Loads Applied to the FEA Model



The flange model with the HD, HG and HT loads applied.



Combined operating and seating stresses case stresses. Higher stresses can be seen at the pipe to flange discontinuity. Bending stresses can also be seen in the bolt. Although the stresses look high compared with the 20,000 psi membrane allowable stress for the flange and pipe, the stresses are minor if compared with a local discontinuity limit of $3 \times 20,000$ psi. This flange design although loaded to the maximum ASME allows can be considered to be lightly loaded and wasteful of materials.



Operating loads only - used for cycle life calculations (seating HG is removed). The gasket gets seated once, this is the load that the flange sees with each application and removal of pressure. The flange loads are extremely light for this flange that was designed around the gasket seating case.

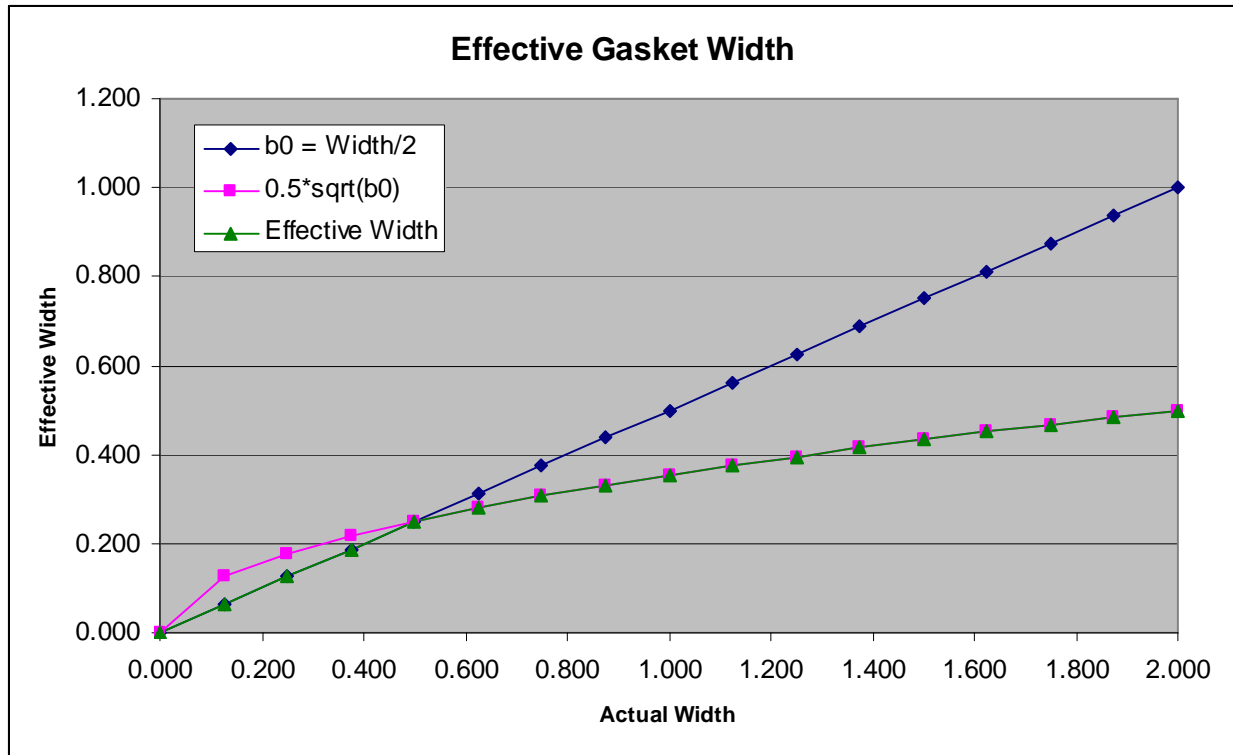
The Effective Seating Width of the Gasket

The effective seating width of the gasket removes the correlation between the physical properties of the gasket material, and the calculated gasket loads. The seating width is typically $1/2 * \text{the square root of the actual gasket width}$ (see table 2-5.2 for actual formulas which vary depending on the gasket seating arrangement and the gasket width). Traditionally, this was done to allow for rotation of the flanges under load which reduced the actual width of the gasket in contact with the flange faces (it was presumed that the inside edge of the gasket was not in contact). In reality, the ASME rules, including the flange rotation limits in 2-14, do not allow enough flange rotation for the gasket to be partially in contact. This effective width calculation removes any possible correlation between ASME flange calculation methods and flange manufacturers provided m and y values. It was probably introduced because the table 2-5.1 gasket factors are too high.

The seating and operating loads are design rules and should not be expected to predict actual flange stresses. They can be used in FEA analysis to simulate loads in a manner similar to App 2 methods as required by U-2(g).

Width	b0 = Width/2	0.5*sqrt(b0)	Effective Width
0.000	0.000	0.000	0.000
0.125	0.063	0.125	0.063
0.250	0.125	0.177	0.125
0.375	0.188	0.217	0.188
0.500	0.250	0.250	0.250
0.625	0.313	0.280	0.280
0.750	0.375	0.306	0.306
0.875	0.438	0.331	0.331
1.000	0.500	0.354	0.354
1.127	0.563	0.375	0.375
1.250	0.625	0.395	0.395
1.375	0.688	0.415	0.415
1.500	0.750	0.433	0.433
1.625	0.813	0.451	0.451
1.750	0.875	0.468	0.468
1.875	0.938	0.484	0.484
2.000	1.000	0.500	0.500

Effective width for a common gasket arrangement - Table 2-5.2 sketches (1a) and (1b)



Attachments

Attached are calculation sheets for:

- ASME code calculation for this flange. This flange is limited by the seating case - in this case seating of a high strength spiral wound gasket - $m=3$, $y = 10,000$.
- FEA loads for the operating and seating case
- FEA loads for the operating only case

Code Flange Calculations Description

Dimensions:

Fig2-4(5)	fd? - Select a flange design
22.000	A [in] - flange OD
16.000	Bn [in] - ID, uncorroded
1.750	t [in] - flange thickness
0.375	rf [in] - hub corner radius
0.750	g0f [in] - hub thickness
0.750	g1 [in] - hub base thickness

Gasket:

17.750	GOD [in] - gasket OD
16.250	GID [in] - gasket ID
3.00	m - gasket factor
10,000	gy - gasket factor y

Bolting:

20.250	varC [in] - bolt circle dia
1.000	BoltOD [in] - bolt size
16.0	Nbolt - number of bolts

Operating Conditions:

0.000	Corr [in] - corrosion allowance
100.0	P [psi] - internal operating pressure
0.0	Pe [psi] - external operating pressure

Material Properties:

NonCast	CastMaterial? - Cast Or NonCast
20,000	Sf [psi] - allowable flange stress at DESIGN temp.
20,000	Sfa [psi] - Allowable Flange Stress at ASSEMBLY temp.
27,900,000	Efo [psi] - Operating Flange Modulus
27,900,000	Efs [psi] - Seating Flange Modulus
20,000	Sb [psi] - allowable bolt stress at DESIGN temp
20,000	Sba [psi] - allowable bolt stress at ASSEMBLY temp

Geometry Constraints:

$$rMin = \max(1/4 * g1, 0.188) \quad \text{MAX}(1/4 * 0.75, 0.188) = \mathbf{0.188}$$

$$NutG_{[in]} = PVELookup("TEMA\TableD5", "Lookup", "NutWidth", BoltOD) \quad \mathbf{1.796}$$

$$Rh_{[in]} = PVELookup("TEMA\TableD5", "Lookup", "Rh", BoltOD) \quad \mathbf{1.375}$$

$$E_{[in]} = PVELookup("TEMA\TableD5", "Lookup", "E", BoltOD) \quad \mathbf{1.063}$$

$$WrenchClearance = varC/2 - B/2 - g0 - Rh \quad \text{TEMA Table D-5} \quad 20.25/2 - 16/2 - 0.75 - 1.375 = \mathbf{0.000}$$

$$CkWrenchClr = WrenchClearance > 0 \quad 0 > 0 = \mathbf{Acceptable}$$

$$NutClearance = varC/2 - B/2 - g0 - rf - NutG/2 \quad \text{TEMA Table D-5} \quad 20.25/2 - 16/2 - 0.75 - 0.375 - 1.796/2 = \mathbf{0.102}$$

$$CkNutClr = NutClearance > 0 \quad 0.102 > 0 = \mathbf{Acceptable}$$

$$EdgeClearance = (A - E) - varC \quad \text{TEMA Table D-5} \quad (22 - 1.063) - 20.25 = \mathbf{0.687}$$

$$ckEdge = EdgeClearance > 0 \quad 0.687 > 0 = \mathbf{Acceptable}$$

Calculated Dimensions:

$$g0 = g0f - Corr \quad 0.75 - 0 = \mathbf{0.750}$$

$$gOne = g1 - Corr \quad 0.75 - 0 = \mathbf{0.750}$$

$$B = Bn + 2 * Corr \quad 16 + 2 * 0 = \mathbf{16.000}$$

$$varR = (varC - B) / 2 - gOne \quad \text{Gasket width in contact} \quad (20.25 - 16) / 2 - 0.75 = \mathbf{1.375}$$

$$varN = (GOD - GID) / 2 \quad \text{Gasket width in contact} \quad (17.75 - 16.25) / 2 = \mathbf{0.750}$$

$$b0 = varN / 2 \quad \text{Gasket seating width} \quad 0.75 / 2 = \mathbf{0.375}$$

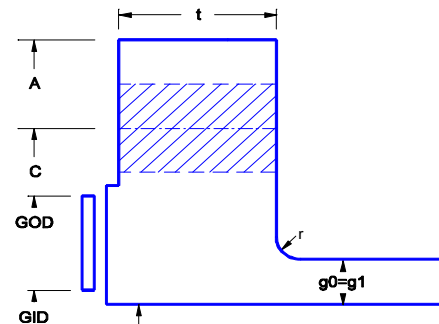


Fig 2-4 (5)

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1      varb = IF(b0>0.25,Sqrt(b0)/2,b0)      Effective seating width
2                                          IF(0.375>0.25,SQRT(0.375)/2,0.375) = 0.306
3      varG = IF(b0>0.25,G0D-2*varb,(G0D-GID)/2 + GID)
4                                          IF(0.375>0.25,17.75-2*0.306,(17.75-16.25)/2 + 16.25) = 17.138
5      hub = rf      Length of Hub      0.375 = 0.375
6
7  Bolt Loads: (VIII App 2-5)
8  Bolt size and class: 1-8 UNC 2A
9      H = 0.785*varG^2*P      end load      0.785*17.138^2*100 = 23,055
10     He = 0.785*varG^2*Pe      end load external pressure      0.785*17.138^2*0 = 0
11     HP = 2*varb*3.14*varG*m*P      contact load      2*0.306*3.14*17.138*3*100 = 9,886
12     HD = pi()/4 * B^2 * P      end load      PI()/4 * 16^2 * 100 = 20,106
13     HDe = pi()/4 * B^2 * Pe      end load external pressure      PI()/4 * 16^2 * 0 = 0
14     HT = H - HD      face load      23055 - 20106 = 2,949
15     HTe = He - HDe      face load external      0 - 0 = 0
16     Wm1 = H + HP      bolt load      23055 + 9886 = 32,941
17     Wm2 = pi()*varb*varG*gy      seating load      PI()*0.306*17.138*10000 = 164,849
18     Am = Max(Wm1/Sb, Wm2/Sba)      Bolt area required
19                                          MAX(32941/20000, 164849/20000) = 8.242
20     RootArea [sq. in] = PVELookup("BoltSizing","Lookup","Root Area",BoltOD)      0.566
21     Ab = RootArea*Nbolt      0.566*16 = 9.056
22     CheckExcess = Ab>=Am      9.056>=8.242 = Acceptable
23
24  Flange Loads: (App 2-5)
25     W [lb] = (Am + Ab)*Sba/2      seating conditions      (8.242 + 9.056)*20000/2 = 172,984
26     HG [lb] = Wm1 - H      operating conditions      32941 - 23055 = 9,886
27     TBoltLoad [lb] = (W+Wm1)/Nbolt      (172984+32941)/16 = 12,870
28
29  Flange Moment Arms: (Table App 2-6 - Integral flanges)
30     mhD [in] = varR+0.5*gOne      1.375+0.5*0.75 = 1.750
31     mhT [in] = (varR+gOne+mhG)/2      (1.375+0.75+1.556)/2 = 1.841
32     mhG [in] = (varC-varG)/2      (20.25-17.138)/2 = 1.556
33
34  Flange Moments: (App 2-6)
35     MD [in-lb] = HD * mhD      end pressure      20106 * 1.75 = 35,186
36     MT [in-lb] = HT * mhT      face pressure      2949 * 1.841 = 5,428
37     MG [in-lb] = HG * mhG      gasket load      9886 * 1.556 = 15,384
38     Mo1e [in-lb] = HDe*(mhD-mhG)+HTe*(mhT-mhG)      total operating external
39                                          0*(1.75-1.556)+0*(1.841-1.556) = 0
40     Mo1 [in-lb] = Max(MD+MT+MG,Mo1e)      total operating      MAX(35186+5428+15384,0) = 55,998
41     Mo2 [in-lb] = W*(varC-varG)/2      total seating      172984*(20.25-17.138)/2 = 269,196
42
43  Graphs: App 2-7.1-6 Values of F, f, T, U, V, Y and Z
44     h0 = sqrt(B*g0)      SQRT(16*0.75) = 3.464
45     hh0 = hub/h0      0.375/3.464 = 0.108
46     g1g0 = gOne/g0      0.75/0.75 = 1.000
47     F = PVELookup("F","FlangeFactor",hh0,g1g0)      0.909
48     V = PVELookup("V","FlangeFactor",hh0,g1g0)      0.550
49     smallF = 1      1 = 1.000
50     K = A/B      22/16 = 1.375
51     T = PVELookup("T","FlangeFactorK",K)      1.765
52     U = PVELookup("U","FlangeFactorK",K)      6.877
53     Y = PVELookup("Y","FlangeFactorK",K)      6.258
54     Z = PVELookup("Z","FlangeFactorK",K)      3.246
55     d = (U/V)*h0*g0^2      (6.877/0.55)*3.464*0.75^2 = 24.360
56     e = F / h0      0.909 / 3.464 = 0.262
57     L = (t*e + 1)/T + t^3/d      (1.75*0.262 + 1)/1.765 + 1.75^3/24.36 = 1.047

```

Flange Seating Stress: (App 2-7,8)

$$\begin{aligned}
 \text{SHs} &= \text{smallF} \cdot \text{ABS}(\text{Mo2}) / (L \cdot g_{\text{One}}^2 \cdot B) & 1 \cdot \text{ABS}(269196) / (1.047 \cdot 0.75^2 \cdot 16) &= \mathbf{28,577} \\
 \text{CheckSHs} &= \text{SHs} \leq 1.5 \cdot (\text{Sfa}) & 28577 \leq 1.5 \cdot (20000) &= \text{Acceptable} \\
 \text{SRs} &= (1.33 \cdot t^e + 1) \cdot \text{ABS}(\text{Mo2}) / (L \cdot t^2 \cdot B) & (1.33 \cdot 1.75 \cdot 0.262 + 1) \cdot \text{ABS}(269196) / (1.047 \cdot 1.75^2 \cdot 16) &= \mathbf{8,454} \\
 \text{CheckSRs} &= \text{SRs} \leq \text{Sfa} & 8454 \leq 20000 &= \text{Acceptable} \\
 \text{STs} &= (Y \cdot \text{ABS}(\text{Mo2}) / (t^2 \cdot B)) - Z \cdot \text{SRs} & (6.258 \cdot \text{ABS}(269196) / (1.75^2 \cdot 16)) - 3.246 \cdot 8454 &= \mathbf{6,943} \\
 \text{SAs} &= (\text{SHs} + \text{Max}(\text{SRs}, \text{STs})) / 2 & (28577 + \text{MAX}(8454, 6943)) / 2 &= \mathbf{18,515} \\
 \text{CheckSTs} &= \text{ABS}(\text{STs}) \leq \text{Sfa} & \text{ABS}(6943) \leq 20000 &= \text{Acceptable} \\
 \text{CheckSAs} &= \text{SAs} \leq \text{Sfa} & 18515 \leq 20000 &= \text{Acceptable}
 \end{aligned}$$

Flange Operating Stress: (App 2-7,8)

$$\begin{aligned}
 \text{SHo} &= \text{smallF} \cdot \text{Mo1} / (L \cdot g_{\text{One}}^2 \cdot B) & 1 \cdot 55998 / (1.047 \cdot 0.75^2 \cdot 16) &= \mathbf{5,945} \\
 \text{CheckSHo} &= \text{SHo} \leq 1.5 \cdot (\text{Sf}) & 5945 \leq 1.5 \cdot (20000) &= \text{Acceptable} \\
 \text{SRo} &= (1.33 \cdot t^e + 1) \cdot \text{Mo1} / (L \cdot t^2 \cdot B) & (1.33 \cdot 1.75 \cdot 0.262 + 1) \cdot 55998 / (1.047 \cdot 1.75^2 \cdot 16) &= \mathbf{1,759} \\
 \text{CheckSRo} &= \text{SRo} \leq \text{Sf} & 1759 \leq 20000 &= \text{Acceptable} \\
 \text{STo} &= Y \cdot \text{Mo1} / (t^2 \cdot B) - Z \cdot \text{SRo} & 6.258 \cdot 55998 / (1.75^2 \cdot 16) - 3.246 \cdot 1759 &= \mathbf{1,444} \\
 \text{CheckSTo} &= \text{STo} \leq \text{Sf} & 1444 \leq 20000 &= \text{Acceptable} \\
 \text{SAo} &= (\text{SHo} + \text{Max}(\text{SRo}, \text{STo})) / 2 & (5945 + \text{MAX}(1759, 1444)) / 2 &= \mathbf{3,852} \\
 \text{CheckSAo} &= \text{SAo} \leq \text{Sf} & 3852 \leq 20000 &= \text{Acceptable}
 \end{aligned}$$

Flange Flexibility: (App 2-14)

$$\begin{aligned}
 \text{Jseating} &= (52.14 \cdot \text{Mo2} \cdot V) / (L \cdot E_{\text{fs}} \cdot g_0^2 \cdot h_0 \cdot 0.3) & (52.14 \cdot 269196 \cdot 0.55) / (1.047 \cdot 27900000 \cdot 0.75^2 \cdot 3.464 \cdot 0.3) &= \mathbf{0.452} \\
 \text{CheckJSt} &= \text{ABS}(\text{Jseating}) \leq 1 & \text{ABS}(0.452) \leq 1 &= \text{Acceptable} \\
 \text{Joperating} &= (52.14 \cdot \text{Mo1} \cdot V) / (L \cdot E_{\text{fo}} \cdot g_0^2 \cdot h_0 \cdot 0.3) & (52.14 \cdot 55998 \cdot 0.55) / (1.047 \cdot 27900000 \cdot 0.75^2 \cdot 3.464 \cdot 0.3) &= \mathbf{0.094} \\
 \text{CheckJOp} &= \text{ABS}(\text{Joperating}) \leq 1 & \text{ABS}(0.094) \leq 1 &= \text{Acceptable}
 \end{aligned}$$

Combined Loads (Operating + Seating Conditions) <- Description

Dimensions and Conditions:

10.020	<- B - ID, uncorroded
0.990	<- g1 - hub thickness
0.000	<- Corr - corrosion allowance
13.0	<- P, internal operating pressure
13.375	<- GOD - gasket OD
10.750	<- GID - gasket ID
0.50	<- m - gasket factor
0	<- gy - gasket factor y
14.250	<- varC - bolt circle dia
0.875	<- BoltOD, bolt size
12.0	<- Nbolt, number of bolts

Material Properties:

	<- Bolting Material
25,000	<- Sb - allowable bolt stress at DESIGN temp
25,000	<- Sba - allowable bolt stress at ASSEMBLY temp

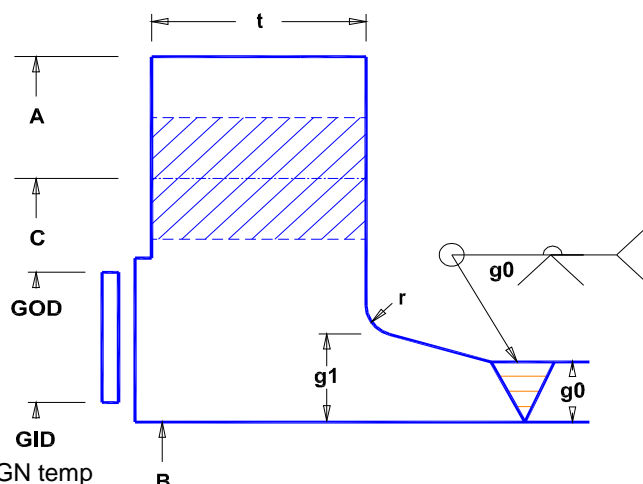


Fig 2-4 (6)

Calculated Dimensions:

$g0 = g0 - corr$	$= 0 - 0$		$g0 = 0.000$
$gOne = g1 - corr$	$= 0.99 - 0$		$gOne = 0.990$
$B = B + 2 * corr$	$= 10.02 + 2 * 0$	Corroded ID	$B = 10.020$
$varR = (varC - B) / 2 - gOne$	$= (14.25 - 10.02) / 2 - 0.99$		$varR = 1.125$
$varN = (GOD - GID) / 2$	$= (13.375 - 10.75) / 2$	Gasket Width in Contact	$varN = 1.313$
$b0 = varN / 2$	$= 1.313 / 2$	gasket seating width	$b0 = 0.656$
$varb = \min(\text{Sqrt}(b0) / 2, b0)$	$= \min(\text{Sqrt}(0.656) / 2, 0.656)$	eff seating width	$varb = 0.405$
$varG = \max(GOD - 2 * varb, (GOD - GID) / 2 + GID)$		gasket load reaction diameter	$varG = 12.565$
$= \max(13.375 - 2 * 0.405, (13.375 - 10.75) / 2 + 10.75)$			

Flange Loads (VIII App 2-5):

$H = 0.785 * varG^2 * P$	$= 0.785 * 12.565^2 * 13$	end load	$H = 1,611$
$HP = 2 * varb * 3.14 * varG * m * P$	$= 2 * 0.405 * 3.14 * 12.565 * 0.5 * 13$	contact load	$HP = 208$
$HD = \pi / 4 * B^2 * P$	$= \pi / 4 * 10.02^2 * 13$	end load	$HD = 1,025$
$HT = H - HD$	$= 1611 - 1025$	face load	$HT = 586$
$Wm1 = H + HP$	$= 1611 + 208$	bolt load	$Wm1 = 1,819$
$Wm2 = \pi * varb * varG * gy$	$= \pi * 0.405 * 12.565 * 0$	seating load	$Wm2 = 0$
$Am = \max(Wm1 / Sb, Wm2 / Sba)$	$= \max(1819 / 25000, 0 / 25000)$	req bolt area	$Am = 0.073$
$Ab = \text{Root} * Nbolt$	$= 0.431 * 12$	7/8-9 UNC 2A	$Ab = 5.172$

Total Bolt Loads - lbs - (app 2-5):

$W = (Am + Ab) * Sba / 2$	$= (0.073 + 5.172) * 25000 / 2$	seating conditions	$W = 65,559$
$HG = Wm1 - H$	$= 1819 - 1611$	operating conditions	$HG = 208$

Flange Moment Arms - inch - (Table App 2-6 - Integral flanges):

$mhD = varR + 0.5 * gOne$	$= 1.125 + 0.5 * 0.99$	end pressure	$mhD = 1.620$
$mhT = (varR + gOne + mhG) / 2$	$= (1.125 + 0.99 + 0.843) / 2$	face pressure	$mhT = 1.479$
$mhG = (varC - varG) / 2$	$= (14.25 - 12.565) / 2$	gasket load	$mhG = 0.843$

Summary of Loads and Locations - Combined Operating and Seating - (lbs, inch) for ONE HALF bolt

Operating + Seating Conditions		
Load (lbs)		Acting Rad
$HT / (Nbolt * 2)$	24	5.646
$(HG + W) / (Nbolt * 2)$	2,740	6.282
$HD / (Nbolt * 2)$	43	5.505
$(Wm1 + W) / (Nbolt * 2)$	-2,807	7.125

Loads for a model using ONE HALF bolt only

Gasket face pressure (Operating)
Gasket load (Seating + Operating)
End pressure (Operating)
Bolt reaction balancing load (Seating + Operating)

Do not apply Wm1 + W - use boundary conditions on the bolt to apply this balancing load

This model has a sweep of 360°/(Nbolt*2) = 15° for one half bolt

Omit end pressure HD if a closed pipe end is modelled and pressurized

Operating Load Only <- Description

Dimensions and Conditions:

16.000	<- B - ID, uncorroded
0.750	<- g1 - hub thickness
0.000	<- Corr - corrosion allowance
100.0	<- P, internal operating pressure
17.750	<- GOD - gasket OD
16.250	<- GID - gasket ID
3.00	<- m - gasket factor
10,000	<- gy - gasket factor y
20.250	<- varC - bolt circle dia
1.000	<- BoltOD, bolt size
16.0	<- Nbolt, number of bolts

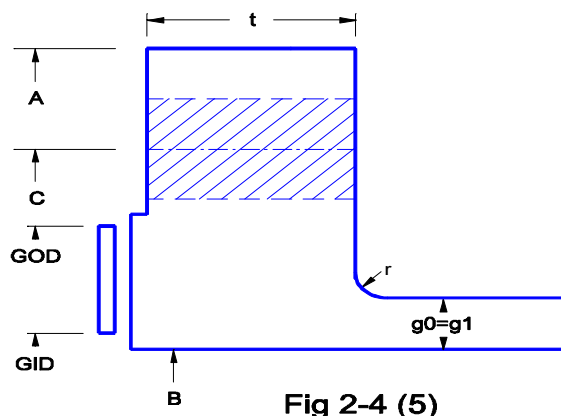


Fig 2-4 (5)

Material Properties:

	<- Bolting Material
20,000	<- Sb - allowable bolt stress at DESIGN temp
20,000	<- Sba - allowable bolt stress at ASSEMBLY temp

Calculated Dimensions:

$g0 = g0\text{-corr}$	$= 0-0$		$g0 = 0.000$
$gOne = g1 - corr$	$= 0.75-0$		$gOne = 0.750$
$B = B+2*corr$	$= 16+2*0$	Corroded ID	$B = 16.000$
$varR = (varC-B)/2 - gOne$	$= (20.25-16)/2 - 0.75$		$varR = 1.375$
$varN = (GOD-GID)/2$	$= (17.75-16.25)/2$	Gasket Width in Contact	$varN = 0.750$
$b0 = varN / 2$	$= 0.75 / 2$	gasket seating width	$b0 = 0.375$
$varb = \min(\text{Sqrt}(b0)/2, b0)$	$= \min(\text{Sqrt}(0.375)/2, 0.375)$	eff seating width	$varb = 0.306$
$varG = \max(GOD-2*varb, (GOD-GID)/2 + GID)$	$= \max(17.75-2*0.306, (17.75-16.25)/2 + 16.25)$	gasket load reaction diameter	$varG = 17.138$
$hub = r$	$= 0$	length of hub	$hub = 0.000$

Flange Loads (VIII App 2-5):

$H = 0.785*varG^2*P$	$= 0.785*17.138^2*100$	end load	$H = 23,055$
$HP = 2*varb*3.14*varG*m*P$	$= 2*0.306*3.14*17.138*3*100$	contact load	$HP = 9,886$
$HD = \pi/4 * B^2 * P$	$= \pi/4 * 16^2 * 100$	end load	$HD = 20,106$
$HT = H - HD$	$= 23055 - 20106$	face load	$HT = 2,949$
$Wm1 = H + HP$	$= 23055 + 9886$	bolt load	$Wm1 = 32,941$
$Wm2 = \pi*varb*varG*gy$	$= \pi*0.306*17.138*10000$	seating load	$Wm2 = 164,849$
$Am = \max(Wm1/Sb, Wm2/Sba)$	$= \max(32941/20000, 164849/20000)$	req bolt area	$Am = 8.242$
$Ab = \text{Root}*Nbolt$	$= 0.566*16$	1-8 UNC 2A	$Ab = 9.056$

Total Bolt Loads - lbs - (app 2-5):

$W = (Am + Ab)*Sba/2$	$= (8.242 + 9.056)*20000/2$	seating-conditions	$W = $
$HG = Wm1 - H$	$= 32941 - 23055$	operating conditions	$HG = 9,886$

Flange Moment Arms - inch - (Table App 2-6 - Integral flanges):

$mhD = varR+0.5*gOne$	$= 1.375+0.5*0.75$	end pressure	$mhD = 1.750$
$mhT = (varR+gOne+mhG)/2$	$= (1.375+0.75+1.556)/2$	face pressure	$mhT = 1.841$
$mhG = (varC-varG)/2$	$= (20.25-17.138)/2$	gasket load	$mhG = 1.556$

Summary of Loads and Locations - Combined Operating and Seating - (lbs, inch) for ONE HALF bolt

Operating + Seating Conditions		
Load (lbs)		Acting Rad
$HT/(Nbolt*2)$	92	8.284
$(HG+W)/(Nbolt*2)$	309	8.569
$HD/(Nbolt*2)$	628	8.375
$(Wm1+W)/(Nbolt*2)$	-1,029	10.125

Loads for a model using ONE HALF bolt only

Gasket face pressure (Operating)	
Gasket load (Operating)	W removed, HG remains
End pressure (Operating)	
Bolt reaction balancing load (Operating)	W removed, Wm1 remains

Do not apply Wm1 + W - use boundary conditions on the bolt to apply this balancing load

This model has a sweep of $360^\circ/(Nbolt*2) = 11.25^\circ$ for one half bolt

Omit end pressure HD if a closed pipe end is modelled and pressurized